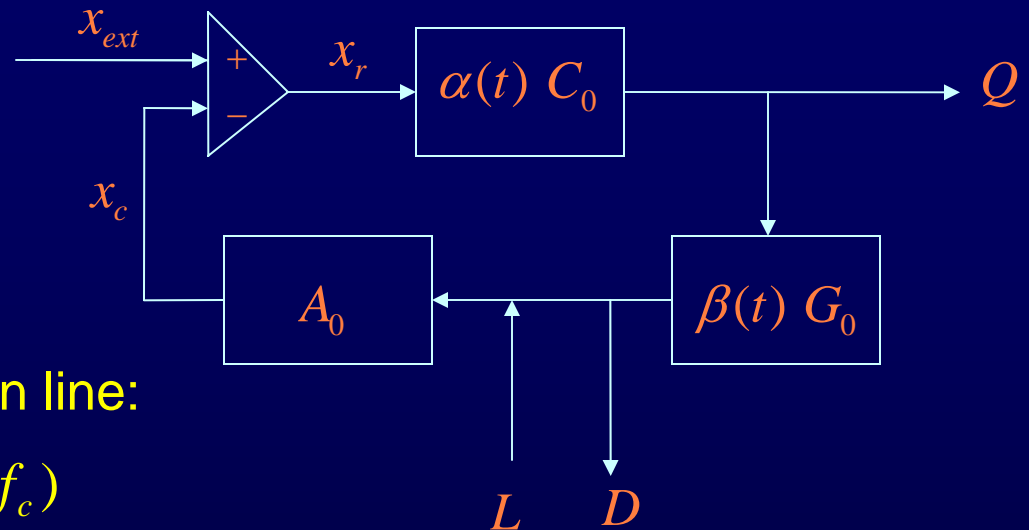


S3: Timescale for calibration factors



At the frequency of the calibration line:

$$x_r(f_c) = x_{ext}(f_c) - x_c(f_c) \approx -x_c(f_c)$$

Using this and going around the loop we obtain:

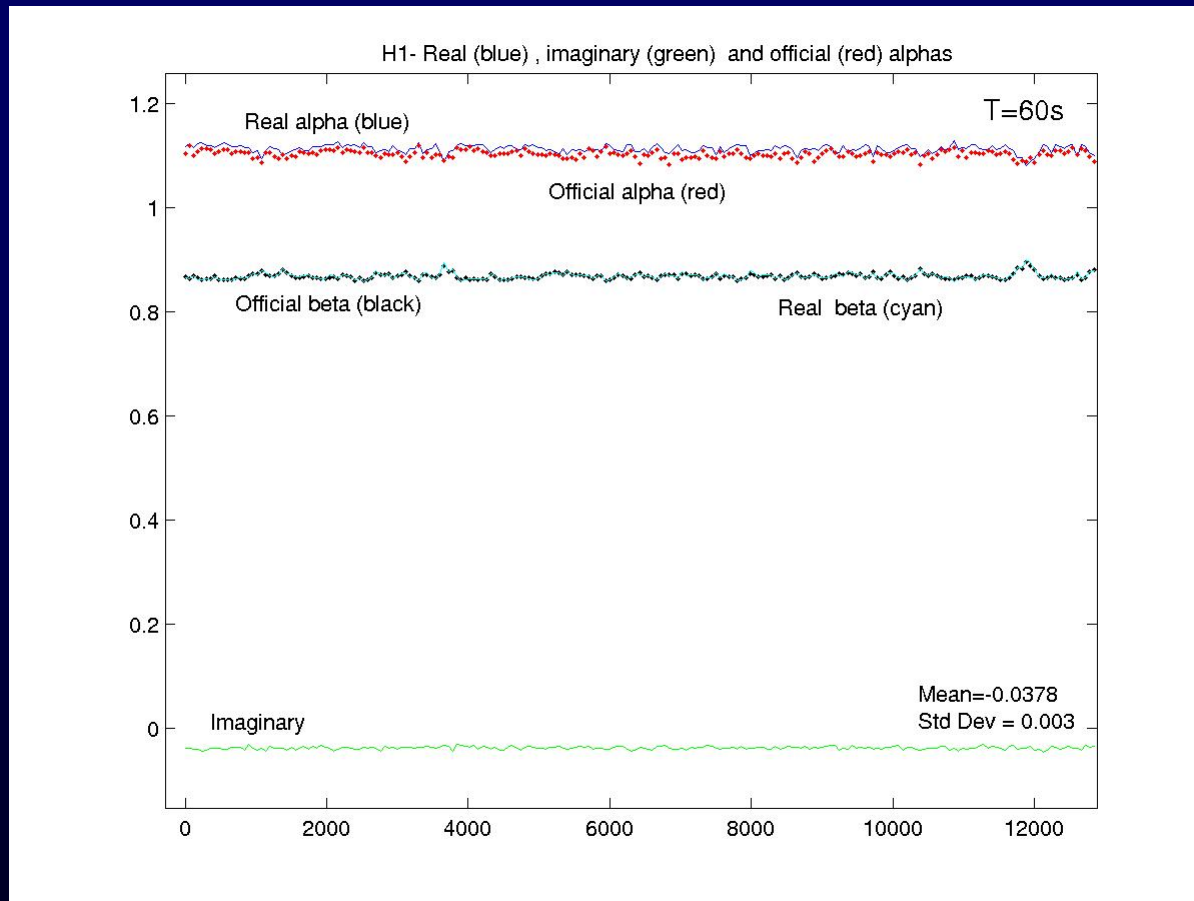
$$\alpha(t) \beta(t) \approx -\frac{1}{H_0} \frac{D(f_c)/L(f_c)}{1 - D(f_c)/L(f_c)}$$

$$\alpha(t) \approx -\frac{1}{H_0} \frac{Q(f_c)(1 + \alpha(t)\beta(t)H_0(f_c))}{C_0(f_c)A_0(f_c)L(f_c)}$$

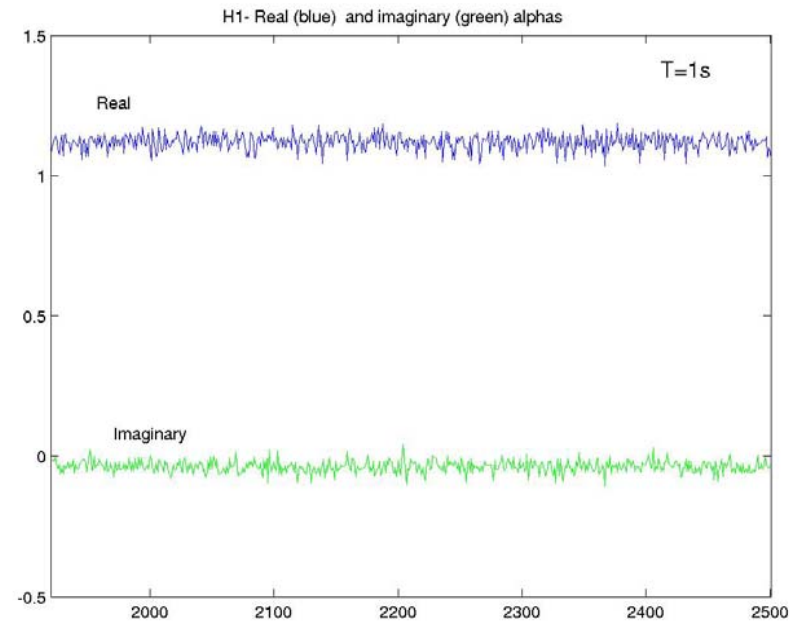
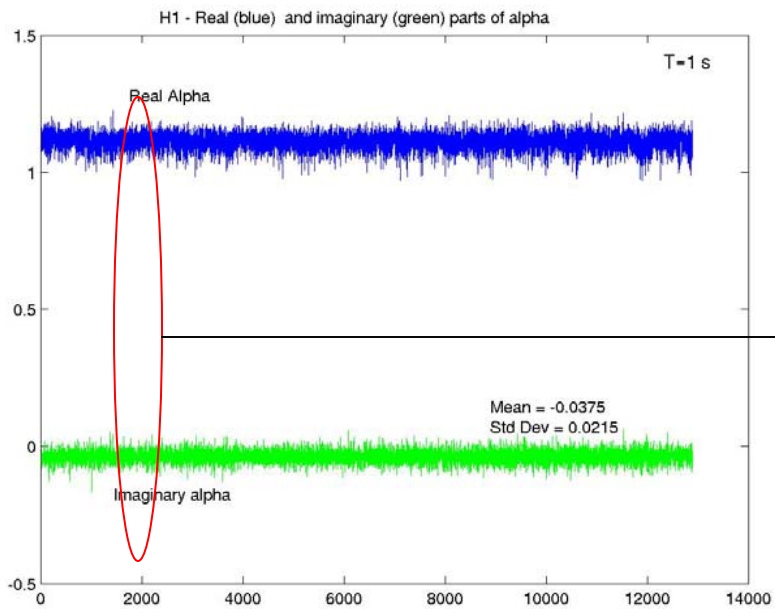
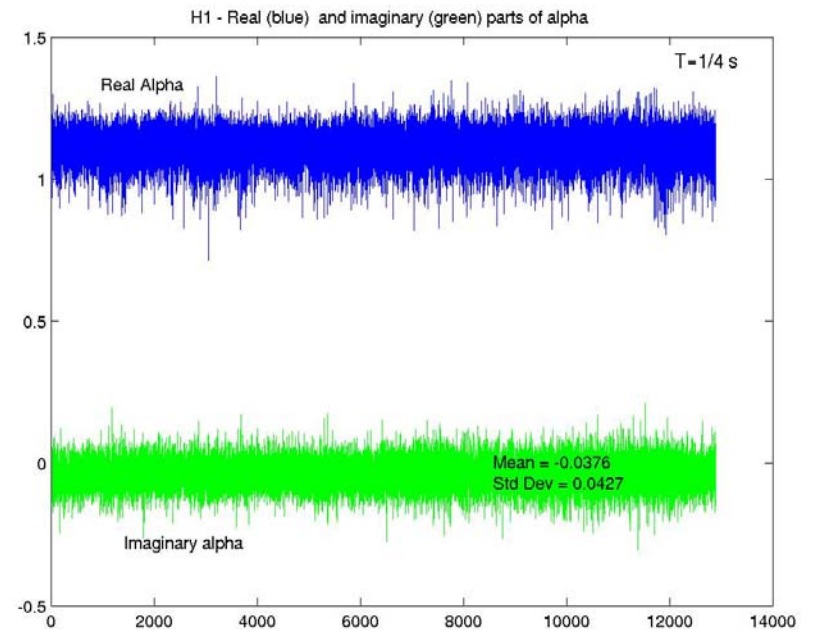
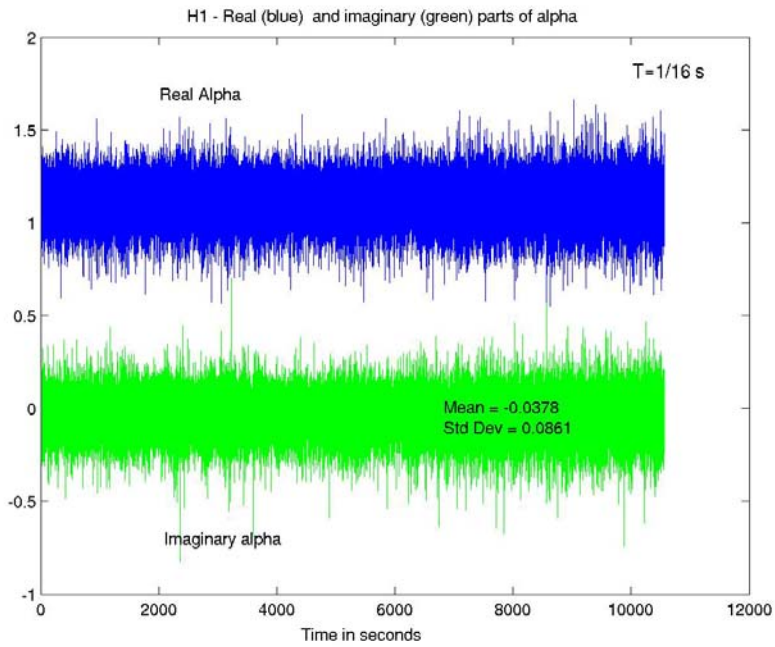
These quantities have an imaginary part to the extent to which the external signal contaminates the calibration line.

Implemented in LAL/LALapps

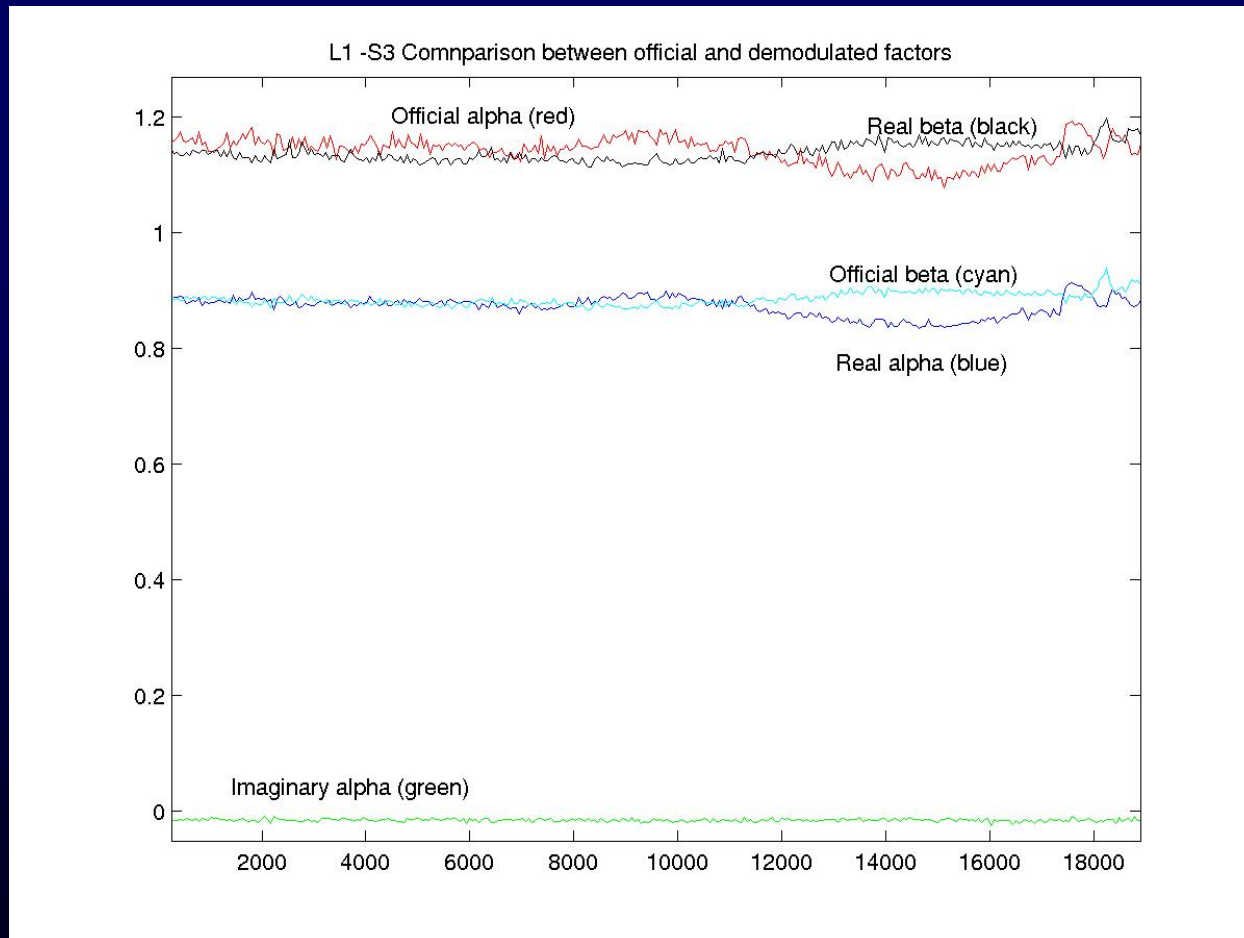
H1 - Comparison with official factors:



H1 – Different time-scales:

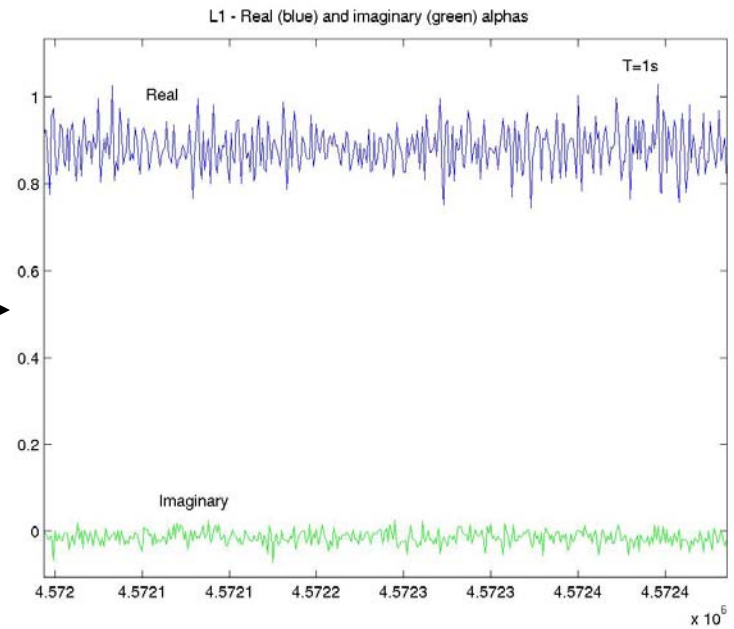
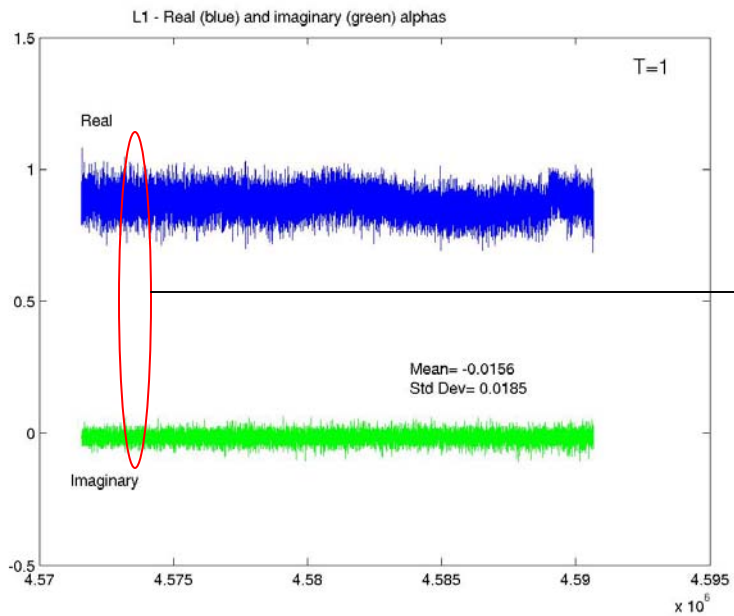
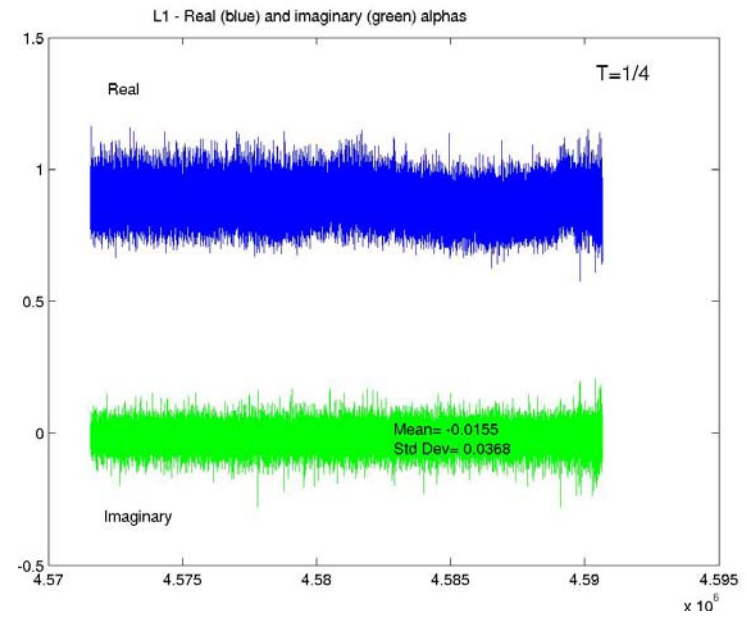
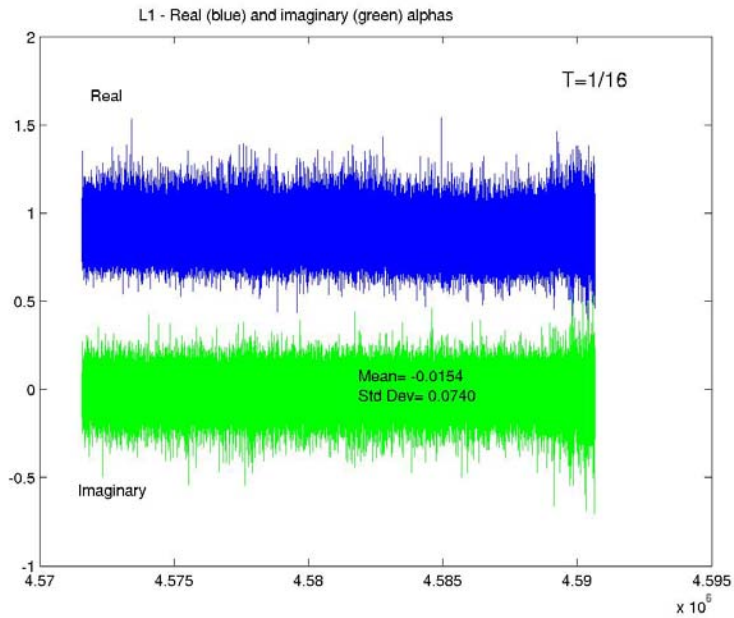


L1 - Comparison with official factors:



A bit of a mess...

L1 – Different time-scales:



Conclusion:

- Open up discussion about good time-scales (1s?)
- Claims of systematic errors believable ??
- What is going on with L1?